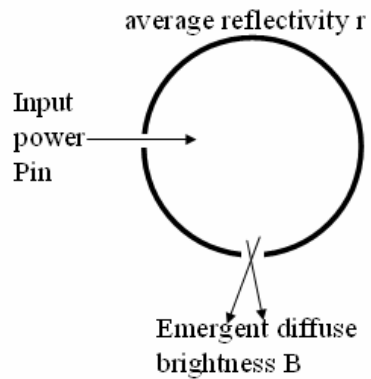


Integrating Sphere Theory



E = Total optical energy contained within sphere

$\dot{E} = \text{powerGain} - \text{powerLoss}$

In steady state...

$$0 = P_{in} - F_{normal} \cdot [(1-r) \cdot (4\pi R^2 - A_{holes}) + A_{holes}]$$

where r = average reflectivity.

$$\text{Use } F_{normal} = \int_{\text{hemisphere}} B \cdot \cos(\theta) d\Omega$$

where B = emitted brightness, uniform over angle,
measured in watts/m² steradian

$$F_{normal} \equiv \int_{\theta=0}^{\pi/2} B \cdot 2\pi \sin(\theta) \cos(\theta) d\theta = \pi B;$$

$$\text{hence } B = \frac{P_{in} / \pi}{(4\pi R^2 - A_{holes}) \cdot (1-r) + A_{holes}}$$